

Combination of Seismic and Thermal Displacements for the Design of Bridge Seismic Isolators



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Outline

1 – Introduction

2 – to present different types of seismic isolation systems available for bridges in Canada

3 – to demonstrate through the CHBDC CSA-S6-06 how to calculate Δ_{seismic} and Δ_{thermal}

4 – to illustrate how international bridge design provisions combine Δ_{seismic} and Δ_{thermal}

5 – to analyze a typical bridge in Montreal equipped with a base isolation system

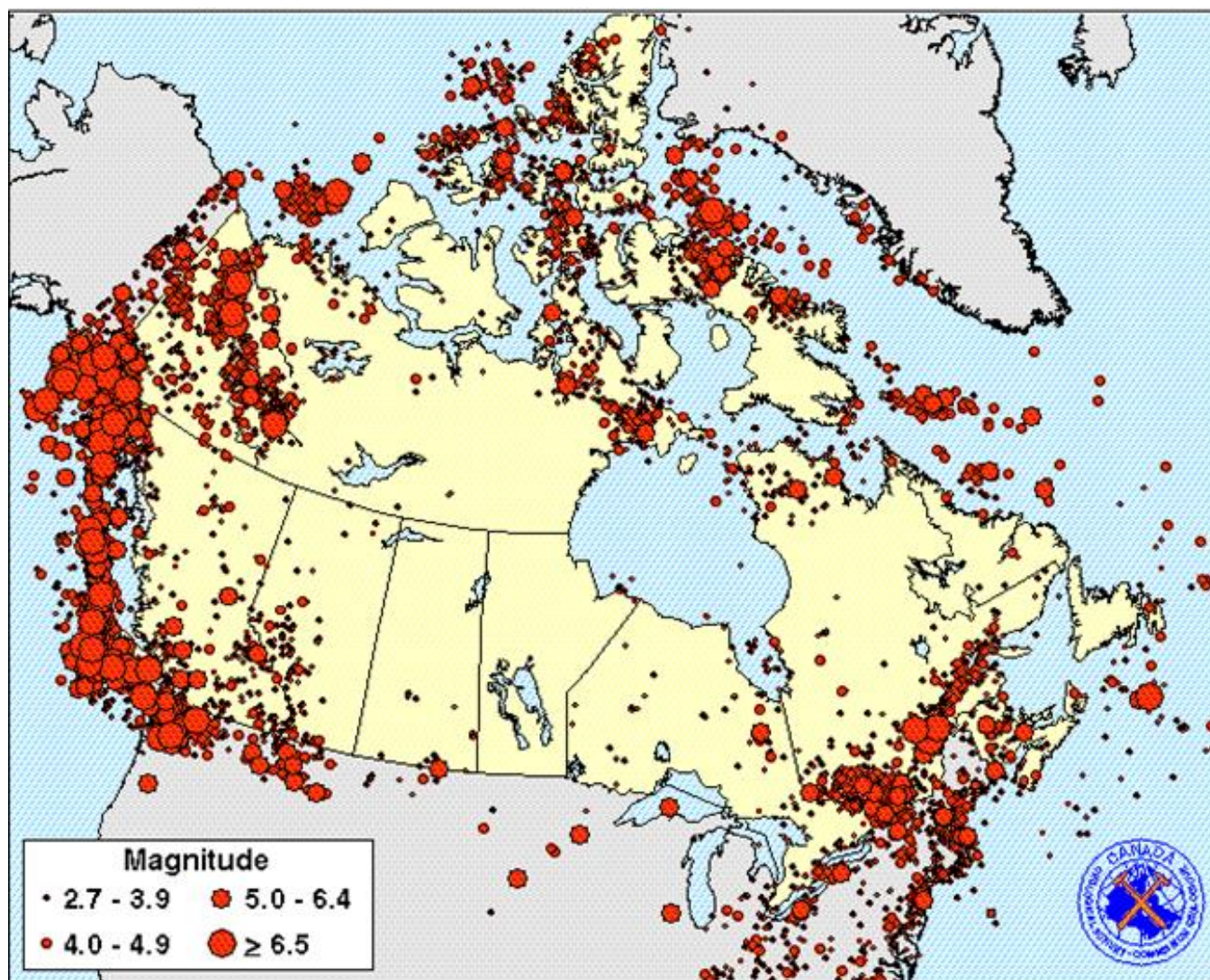
6 – to produce a Δ_{seismic} and Δ_{thermal} combination with the total probability theorem

7 – Conclusions and recommendations

1 - Introduction

- Seismic Design Requirements were first introduced in the CHBDC in 1966
- Over the past 20 years, seismic loads have increased significantly in the CSA-S6 and NBCC
- Only since 2000, a section is reserved for Seismic Base Isolation in the CSA-S6(Clause 4.10)
- Nowhere in the CSA-S6-06 do they suggest or recommend a procedure to combine Δ_{seismic} and Δ_{thermal} for base isolation systems

1 - Introduction



2 - Base Isolation Systems for Bridges

Elastomeric Base Isolation Systems

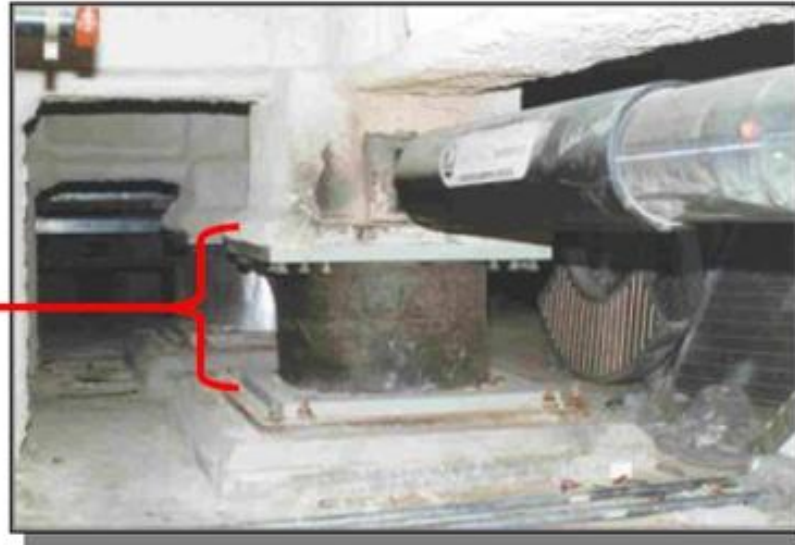
- Low-Damping Natural or Synthetic Rubber Isolator
- High-Damping Natural Rubber Isolator
- Lead-Rubber Isolator

Sliding Base Isolation Systems

- Flat Sliding Isolator
- Spherical Sliding Isolator or Friction Pendulum System

2 - Base Isolation Systems for Bridges

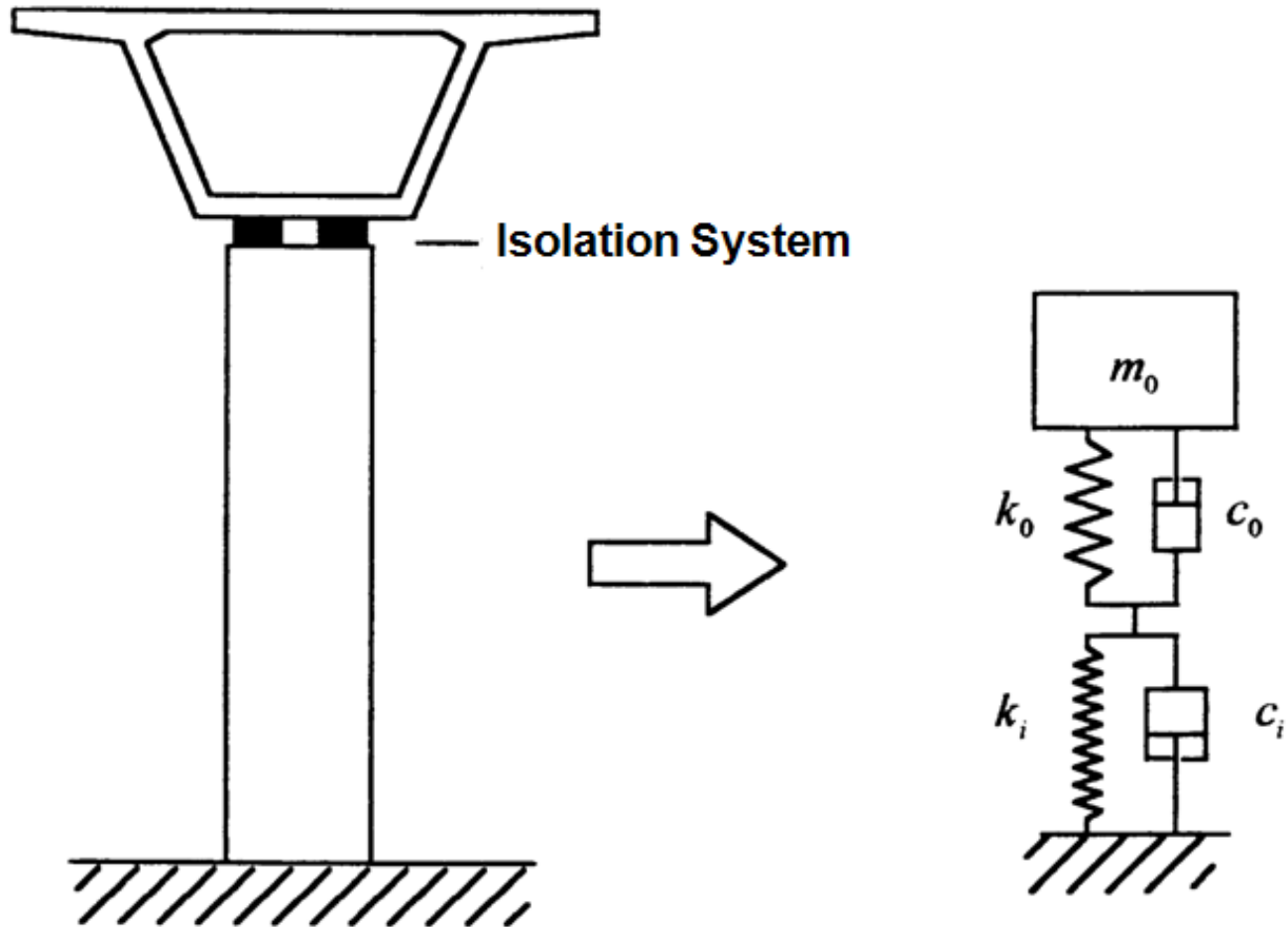
Elastomeric
Base Isolation
System



Sliding
Base Isolation
System



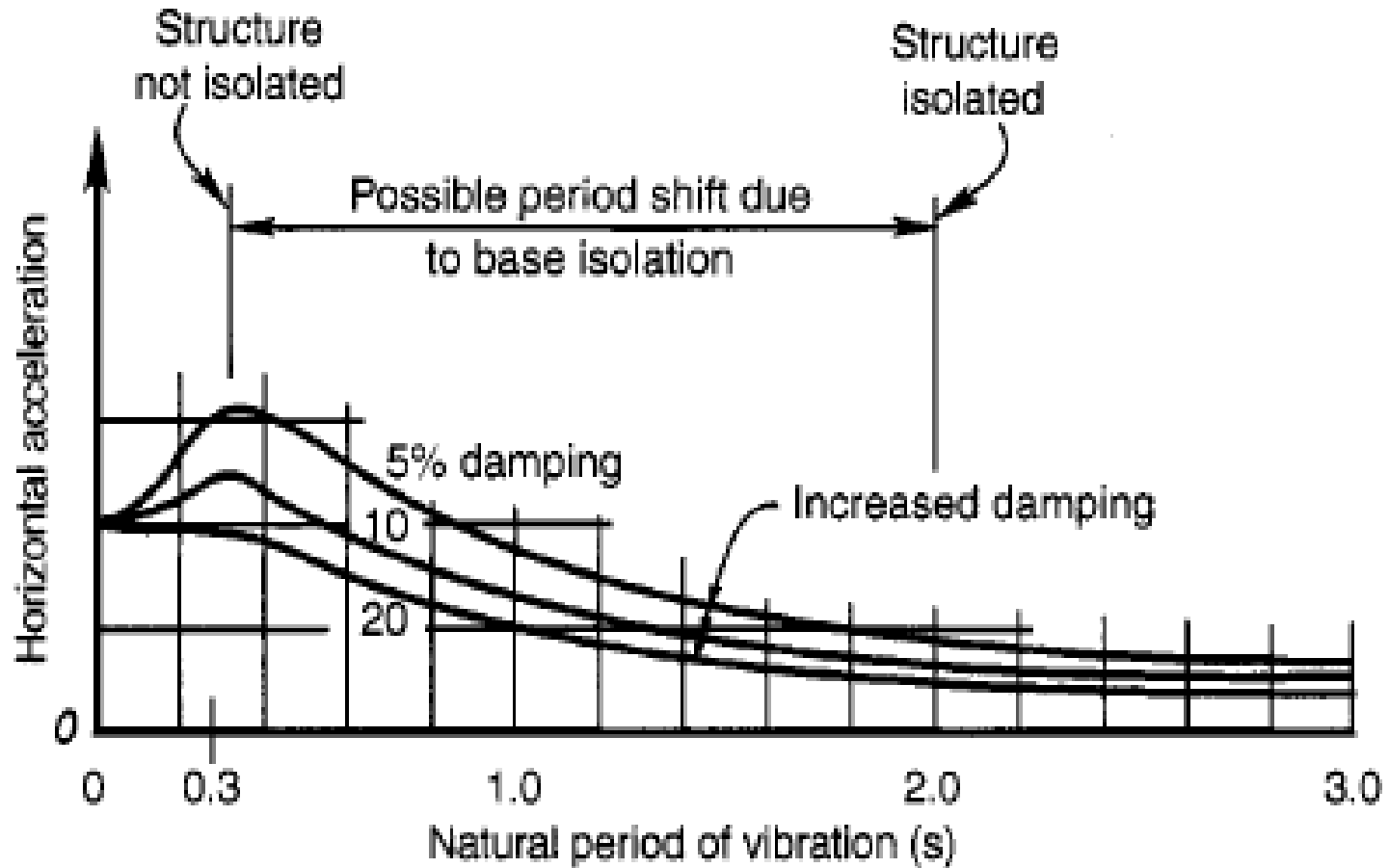
2 - Base Isolation Systems for Bridges



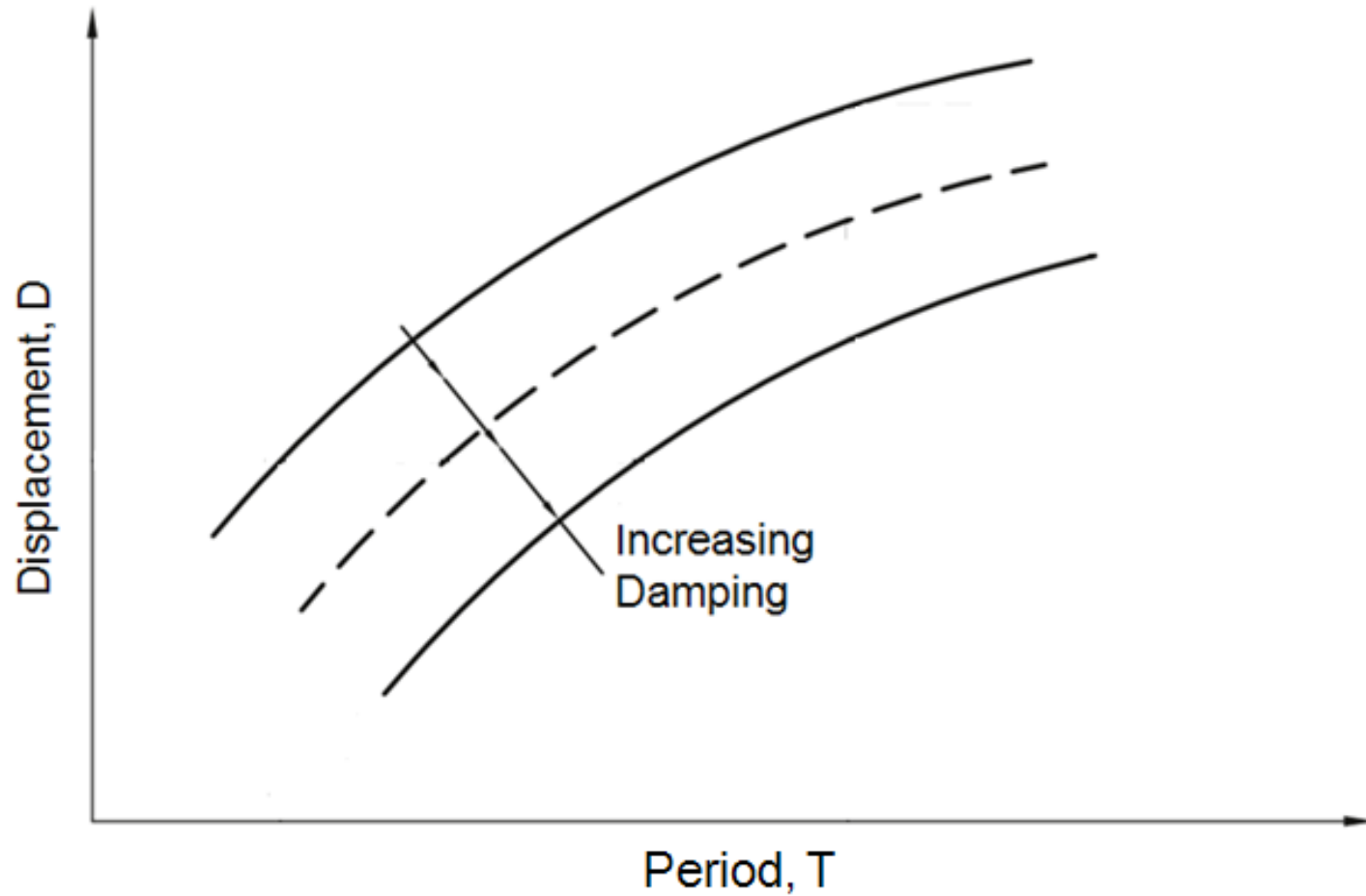
2 - Base Isolation Systems for Bridges

- Decouple the superstructure from its substructure resting on ground-motion
- Increase the period of vibration to consequently reduce the transferred ground accelerations
- Energy dissipation to control the isolation system's displacements
- Rigidity under low load levels, such as wind and minor earthquakes
- Protect the bridge's integrity

2 - Base Isolation Systems for Bridges



2 - Base Isolation Systems for Bridges



3 - How to Calculate Δ_{seismic} and Δ_{thermal} CHBDC CSA-S6-06

$$\Delta_{\text{seismic}} = 250 * A * S_i * T_e / B$$

$$\Delta_{\text{thermal}} = \alpha * L * \Delta T_{\text{max}}$$

where

A = zonal acceleration ratio

S_i = site coefficient

T_e = period of seismicity of the isolated structure

B = numerical coefficient related to the effective damping of the isolation system

α = material thermal coefficient

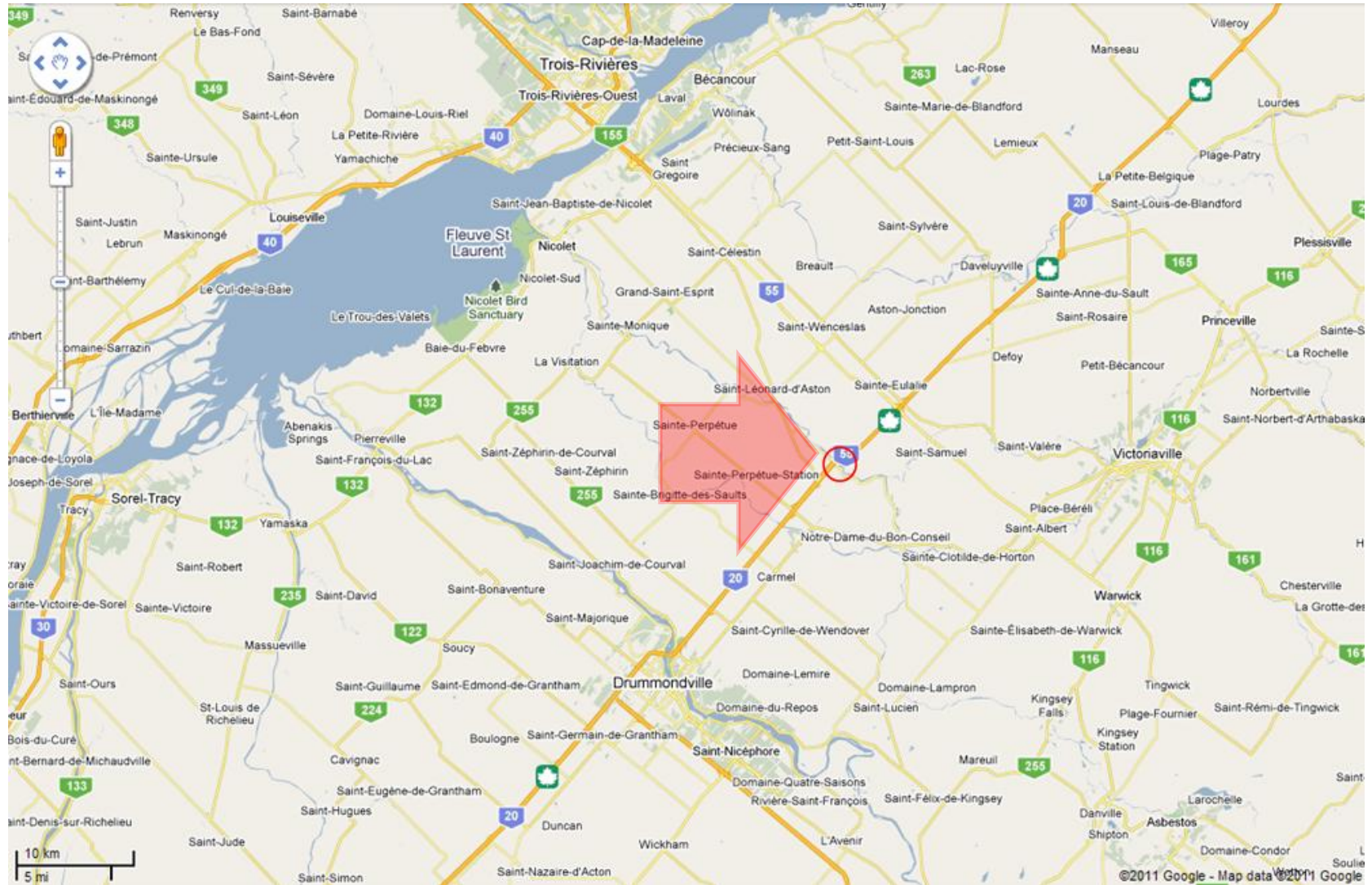
L = length of the member

ΔT_{max} = temperature difference after onsite installation

4 - International Seismic Base Isolation Design Combination of Δ_{seismic} and Δ_{thermal}

National Bridge Design Code	Combination Formula of Δ_{seismic} and Δ_{thermal}
CSA-S6-06, AASHTO-2004 and Chile-2002	None
British Columbia Ministry of Transportation Bridge Standards and Procedures Manual (2007)	$\Delta_{\text{seismic}} + 40\% \Delta_{\text{thermal}}$ (Clause 4.10.7)
New Zealand Transportation Agency Bridge Manual (2004)	$\Delta_{\text{seismic}} + 33.3\% \Delta_{\text{thermal}}$ (Clause 5.6.1)
Eurocode 8 Part 2: Bridges (2003)	$\Delta_{\text{seismic}} + 50\% \Delta_{\text{thermal}}$ (Clause 7.6.2)

5 – Base Isolation System Analysis – Madrid Bridge (Qc)



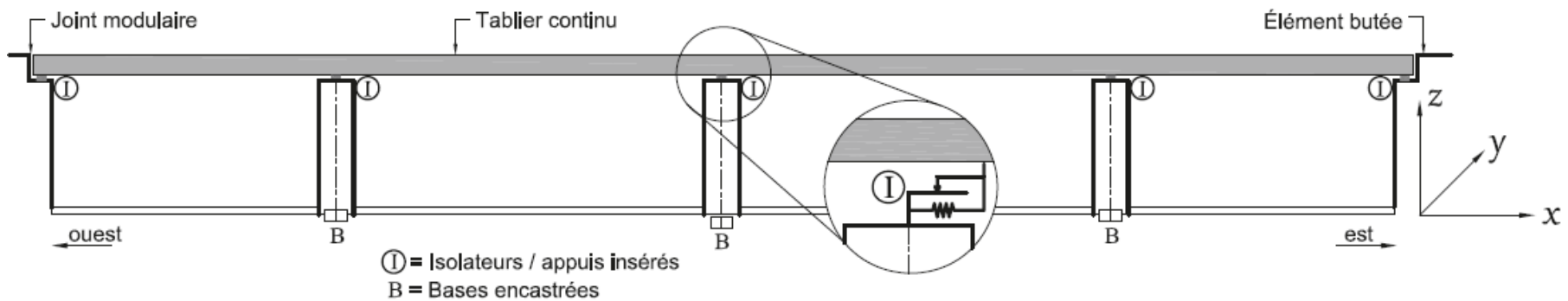
5 – Base Isolation System Analysis – Madrid Bridge (Qc)

- Lifeline Bridge, $I = 3.0$ (MTQ)



5 – Base Isolation System Analysis – Madrid Bridge (Qc)

- 4 spans
- 2 expansion joints at abutments
- Total length = 128.8 m
- Steel beams with reinforced concrete deck
- Depth of superstructure = 1903 mm

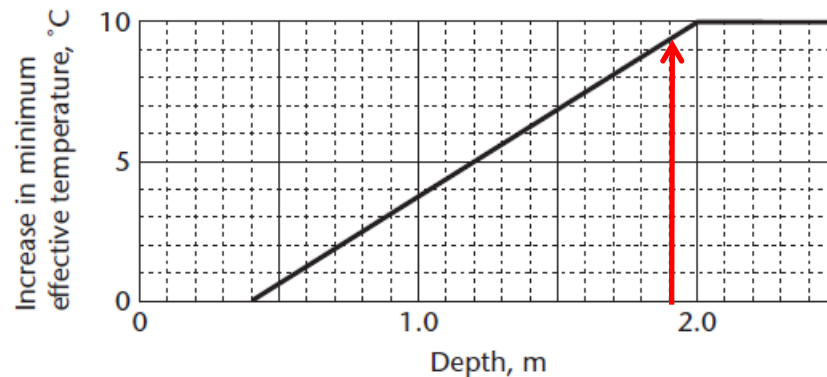
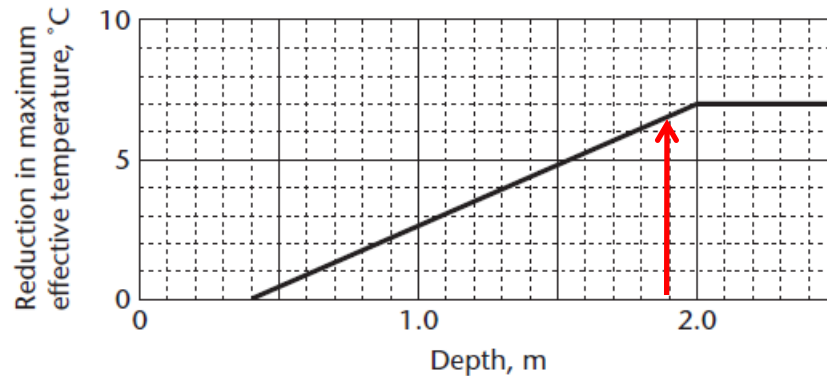


5.1 – Δ_{thermal} of the Madrid Bridge (Qc)

- Effective temperatures
- Takes into consideration:
 - daily temperature changes
 - thermal gradient effects
 - material thermal coefficient
 - geometry of the superstructure
 - effective construction temperature ($T_o = 15^\circ\text{C}$)

5.1 – Δ_{thermal} of the Madrid Bridge (Qc)

Superstructure type (see Clause 3.9.3.)	Maximum effective temperature	Minimum effective temperature
A	25 °C above maximum mean daily temperature	15 °C below minimum mean daily temperature
B	20 °C above maximum mean daily temperature	5 °C below minimum mean daily temperature
C	10 °C above maximum mean daily temperature	5 °C below minimum mean daily temperature



5.1 – Δ_{thermal} of the Madrid Bridge (Qc)

- Methodology

Distribution:

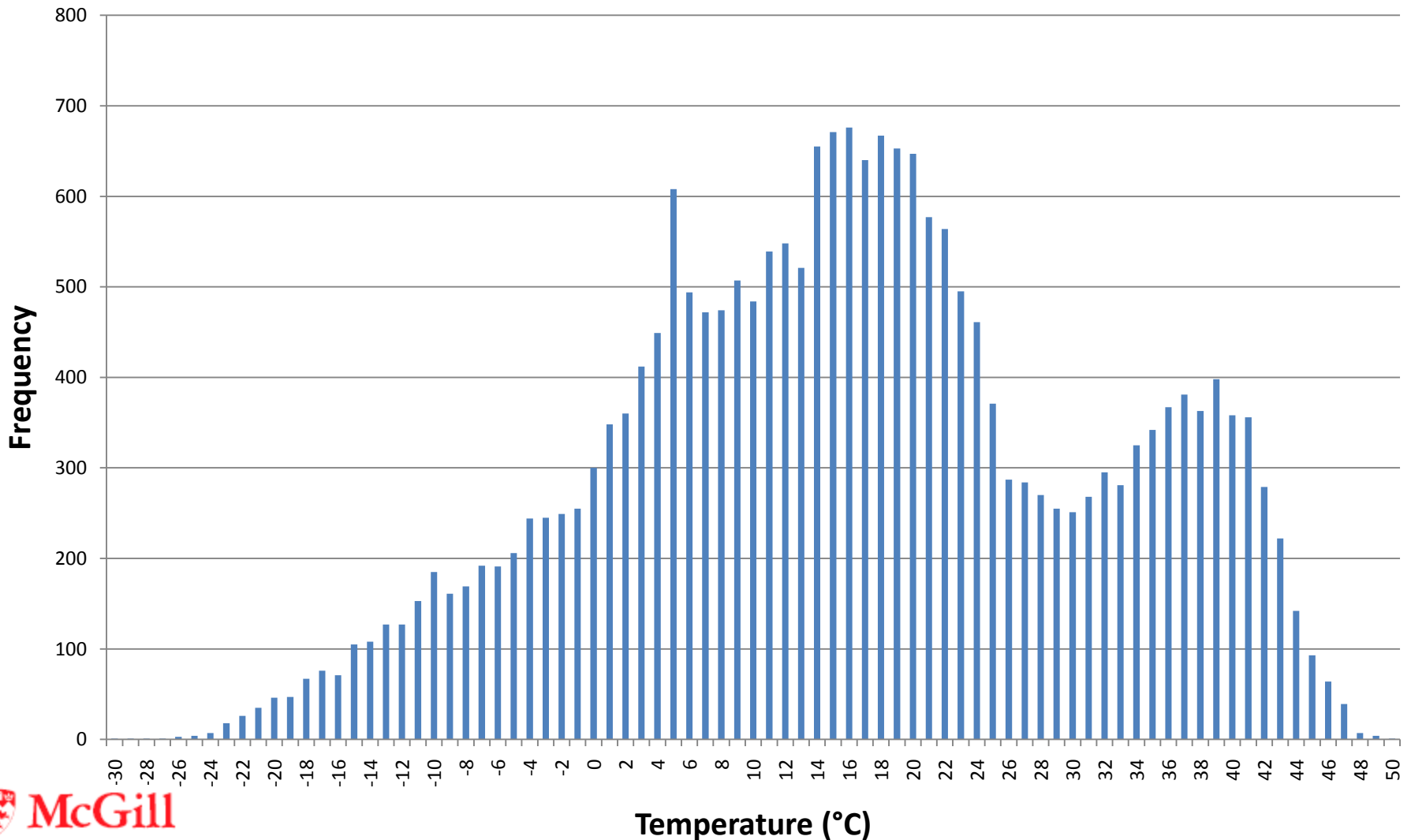
Maximum and Minimum Effective Daily Temperatures of
Montreal (1980-2010) (-30°C à 50°C)

Compare to the CSA-S6-06:

Maximum and Minimum Mean Daily Temperatures
(-31.6°C à 41.4°C)

5.1 – Δ_{thermal} of the Madrid Bridge (Qc) - Distribution

Maximum and Minimum Effective Daily Temperatures of Montreal (1980-2010)



5.1 – Δ_{thermal} of the Madrid Bridge (Qc) - Distribution

$$\Delta_{\text{thermal}} \text{ (mm)} = \alpha * L * \Delta T_{\text{max}}$$

where

$\alpha = 11 \times 10^{-6} / ^\circ\text{C}$ for steel beams and reinforced concrete deck

$L = 128.8 / 2 = 64.4 \text{ m} = 64\,400 \text{ mm}$

$(-30^\circ\text{C} \text{ à } 50^\circ\text{C})$ and $T_o = 15^\circ\text{C}$

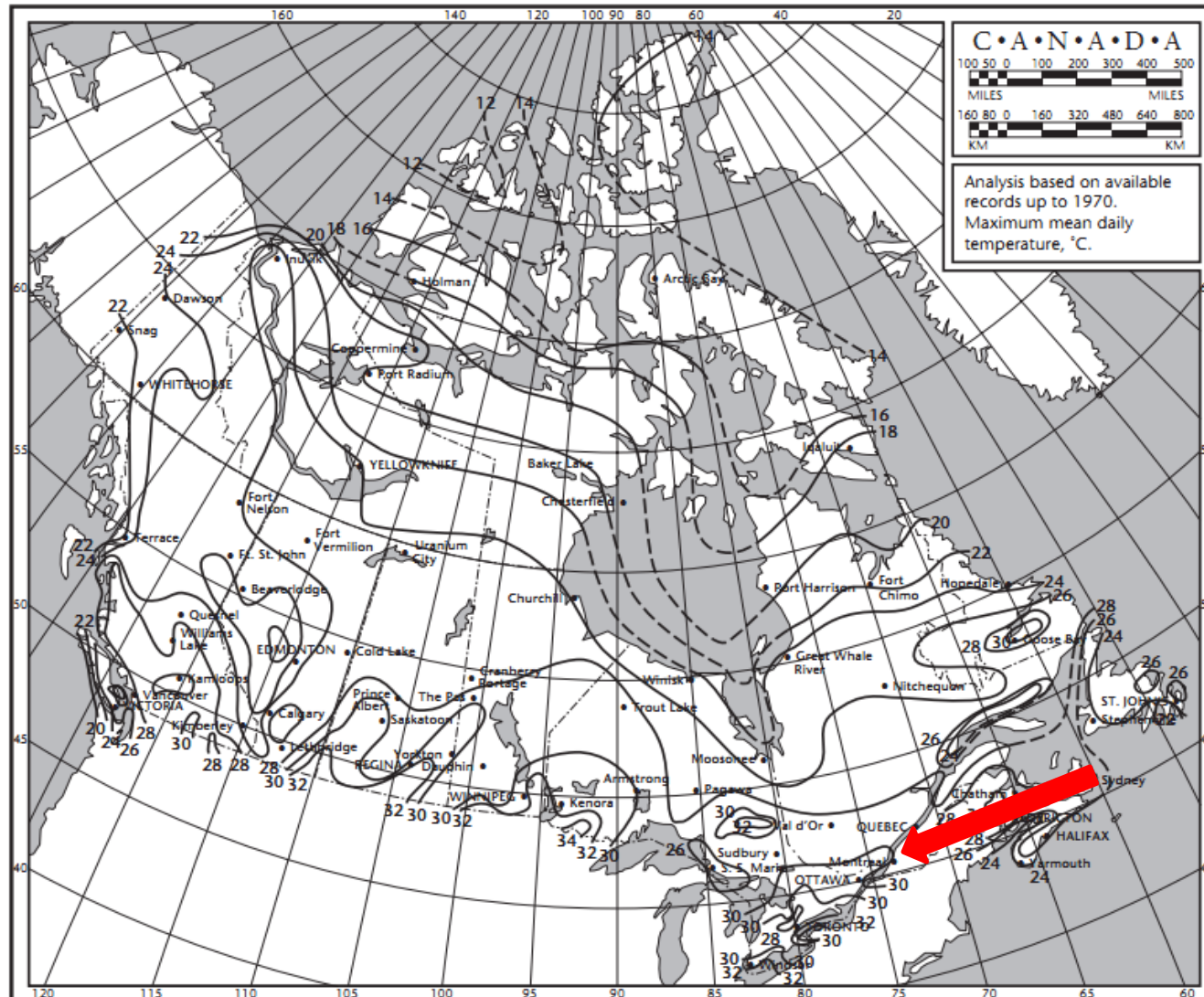
@ -30°C : $\Delta T = 45^\circ\text{C}$

@ $+50^\circ\text{C}$: $\Delta T = 35^\circ\text{C}$

$$\Delta_{\text{thermal}} \text{ max} = (11 \times 10^{-6} / ^\circ\text{C}) * (64\,400 \text{ mm}) * (45^\circ\text{C}) = \mathbf{31.9 \text{ mm}}$$

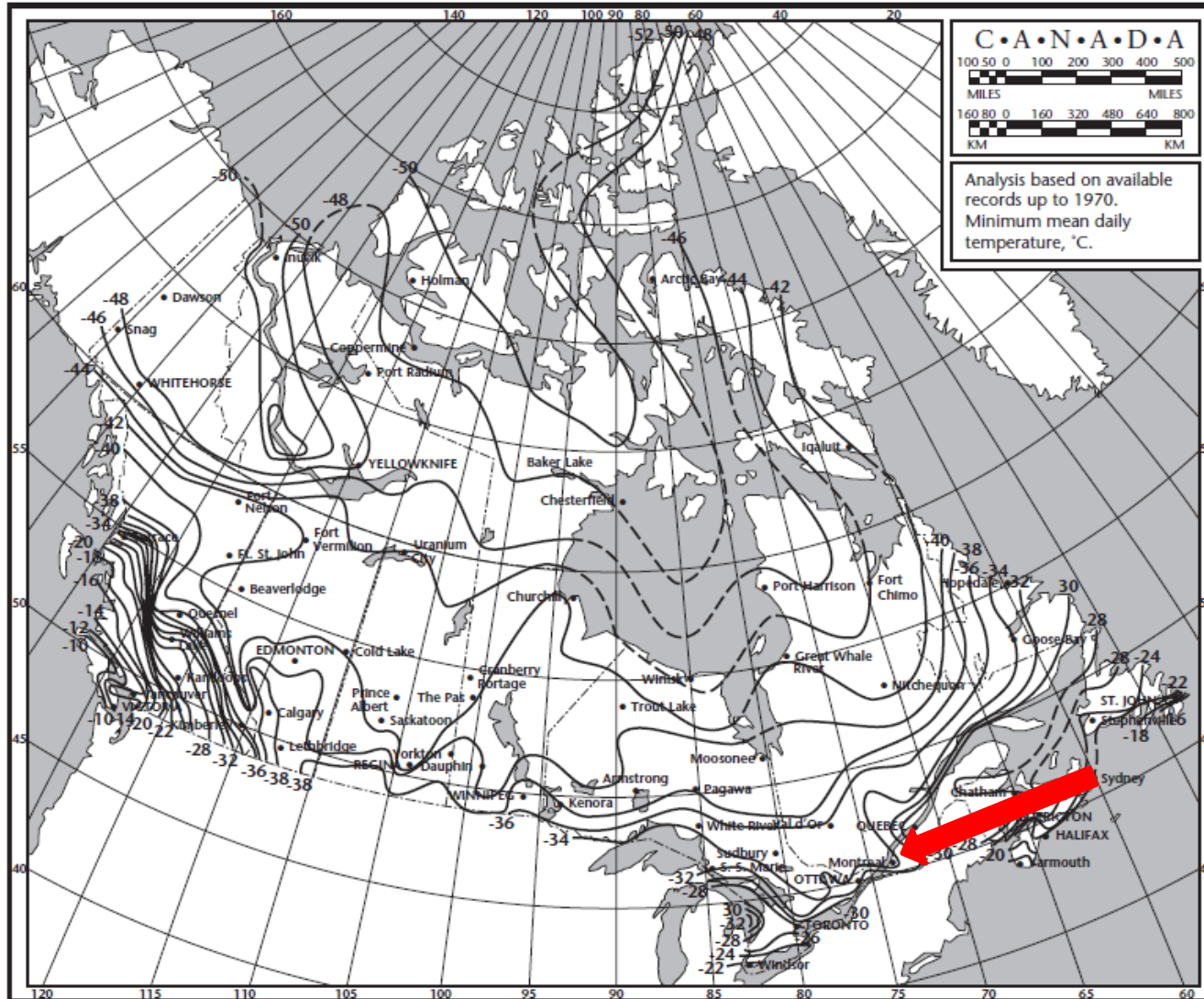
5.1 – Δ_{thermal} of the Madrid Bridge (Qc) - CSA-S6-06

Maximum Mean Daily Temperatures



5.1 – Δ_{thermal} of the Madrid Bridge (Qc) - CSA-S6-06

Minimum Mean Daily Temperatures



5.1 – Δ_{thermal} of the Madrid Bridge (Qc) - CSA-S6-06

- Maximum Mean Daily Temperatures = 28°C
- Minimum Mean Daily Temperatures = -36°C

- Superstructure Type = B

$$28^{\circ}\text{C} + 20^{\circ}\text{C} = 48^{\circ}\text{C} \quad \text{et} \quad -36^{\circ}\text{C} - 5^{\circ}\text{C} = -41^{\circ}\text{C}$$

- Depth of superstructure = 1903 mm

$$48^{\circ}\text{C} - 6.6^{\circ}\text{C} = 41.4^{\circ}\text{C} \quad \text{et} \quad -41^{\circ}\text{C} + 9.4 = -31.6^{\circ}\text{C}$$

(-31.6°C à 41.4°C) et $T_o = 15^{\circ}\text{C}$

@ -31.6 °C: $\Delta T = 46.6^{\circ}\text{C}$

@ +41.4 °C: $\Delta T = 26.4^{\circ}\text{C}$

$$\Delta_{\text{thermal max}} = (11 \times 10^{-6} / ^{\circ}\text{C}) * (64\,400 \text{ mm}) * (46.6^{\circ}\text{C}) = \mathbf{33.0 \text{ mm}}$$

5.2 – Δ_{seismic} of the Madrid Bridge (Qc) - CSA-S6-06

- To calculate Δ_{seismic} , new earthquake ground-motion relations were used from Gail M. Atkinson and David M. Boore (2006)
- seismic events with 2% probability of exceedance in 50 years, which is equivalent to a return period of 2475 years (CNBC 2005)

$$\Delta_{\text{seismic}} = 250 * A * S_i * T_e / B$$

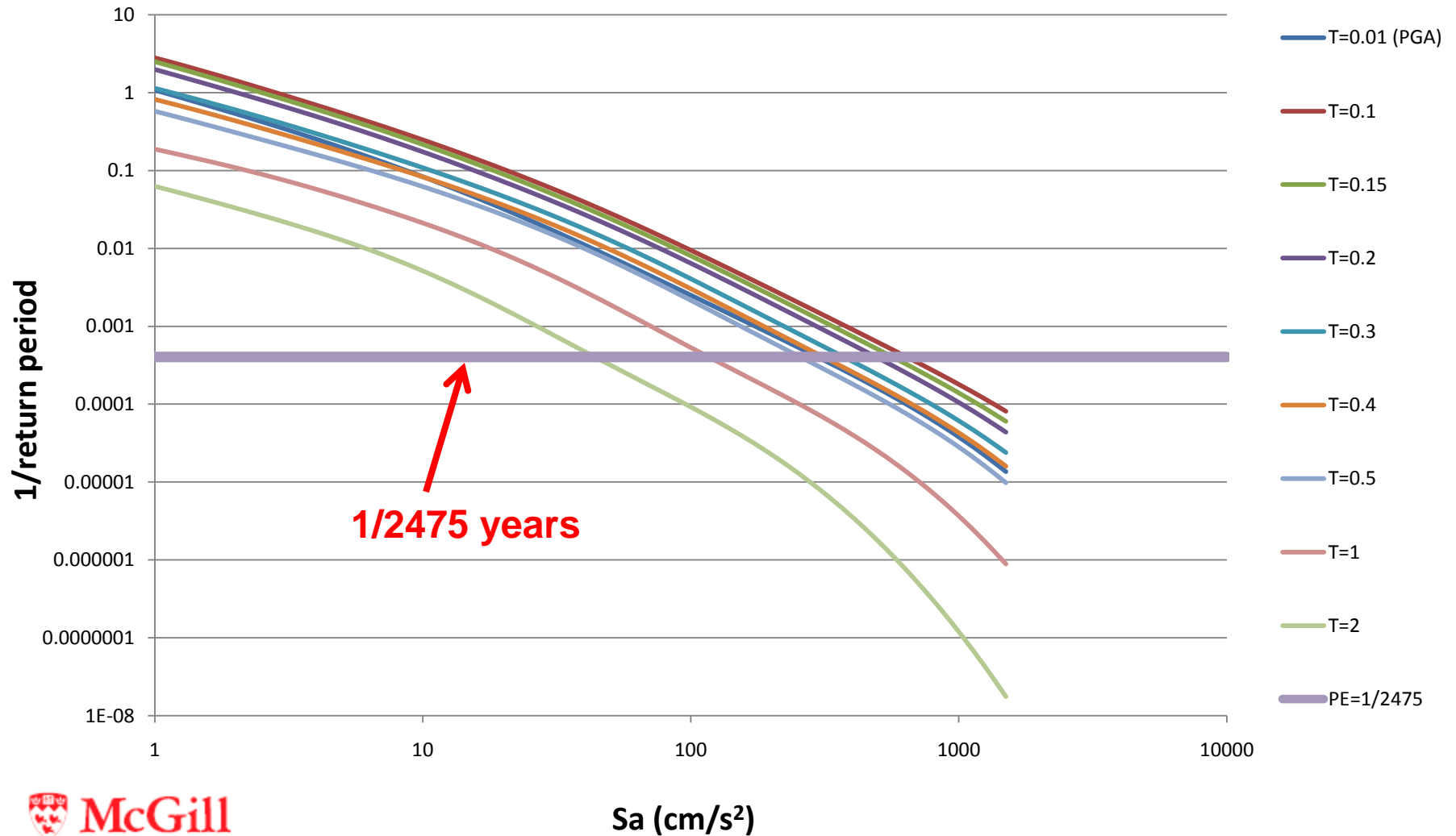
S_i = site coefficient = 1.0

T_e = period of seismically of the isolated structure = 1.87s

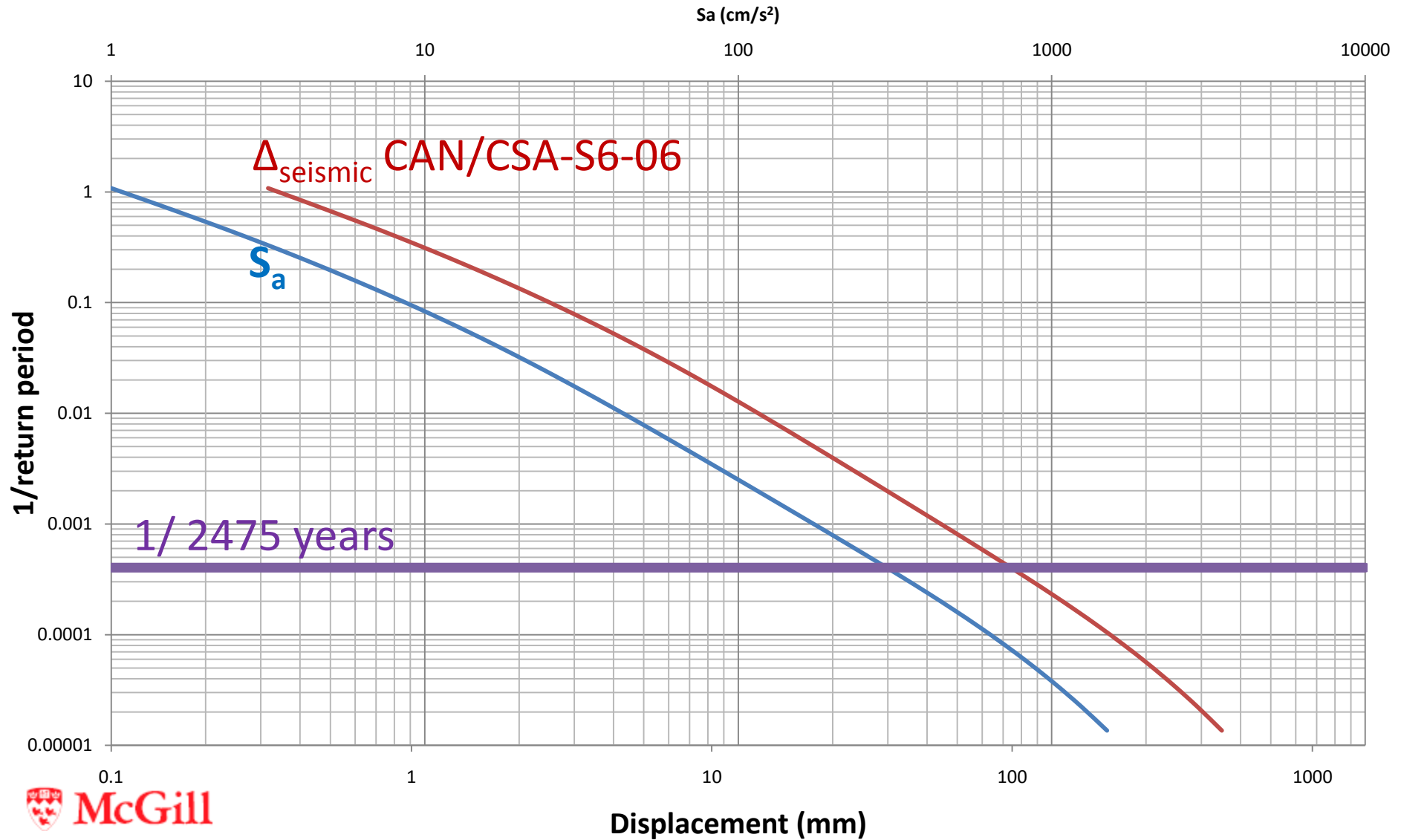
B = numerical coefficient related to the effective damping of the isolation system = 1.431

5.2 – Δ_{seismic} of the Madrid Bridge (Qc) - CSA-S6-06

Hazard Curves for Different Periods



5.2 – Δ_{seismic} of the Madrid Bridge (Qc) - CSA-S6-06



5.2 – Δ_{seismic} of the Madrid Bridge (Qc) - CSA-S6-06

- From the S_a vs $1/RP$ curve, $S_a = 300.4 \text{ cm/s}^2$ at $1/2475$

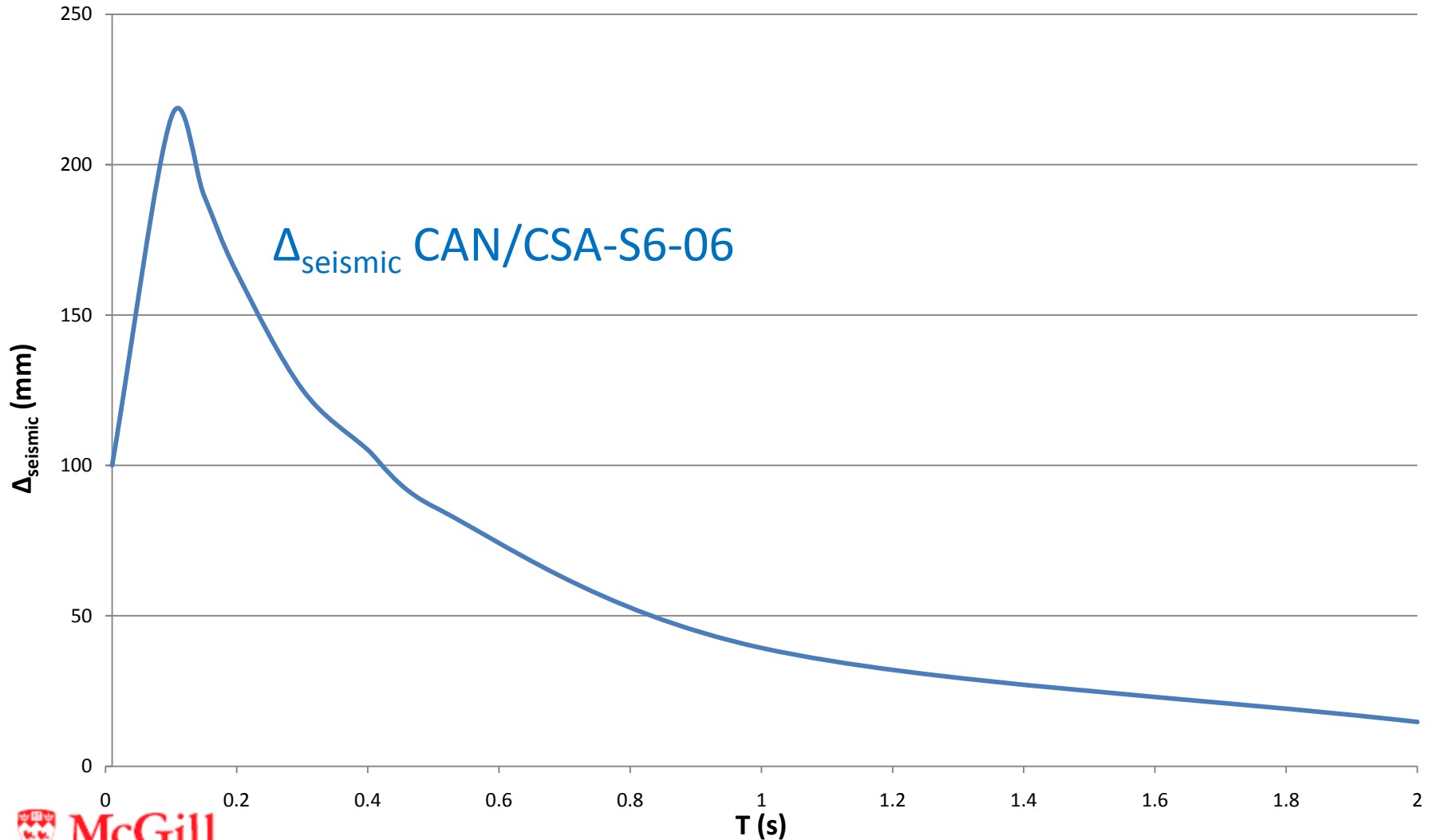
- $A = S_a / (100 * g) = 300.4 / (100 * 9.81) = 0.306g$

- $\Delta_{\text{seismic}} = 250 * A * S_i * T_e / B$

- $\Delta_{\text{seismic}} = (250 * 0.306 * 1.0 * 1.87) / 1.431 = 100.0 \text{ mm}$

5.2 – Δ_{seismic} of the Madrid Bridge (Qc) - CSA-S6-06

Δ_{seismic} vs T



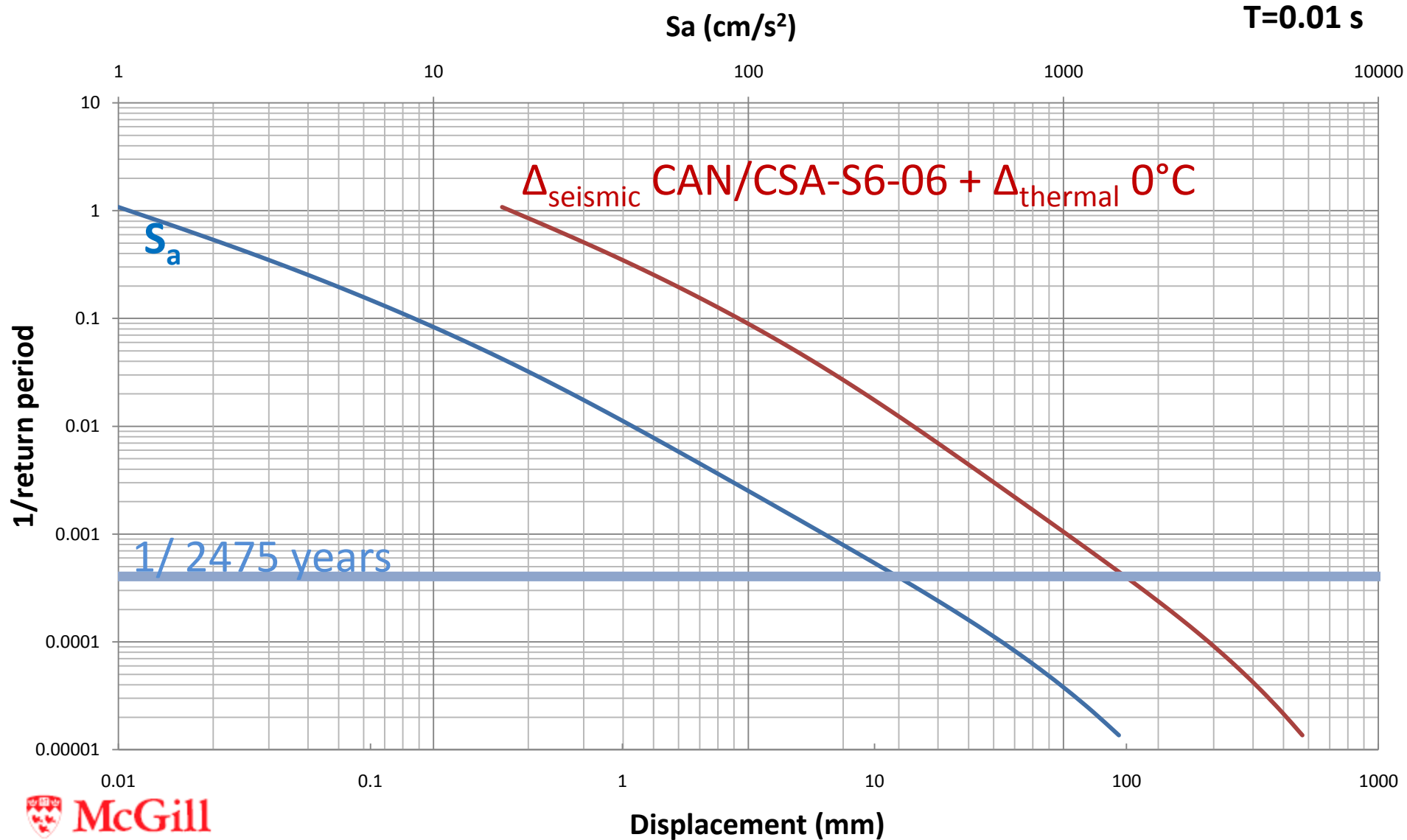
6 – Total Probability Theorem Analysis of the Madrid Bridge (Qc)

- 2 independent random variables

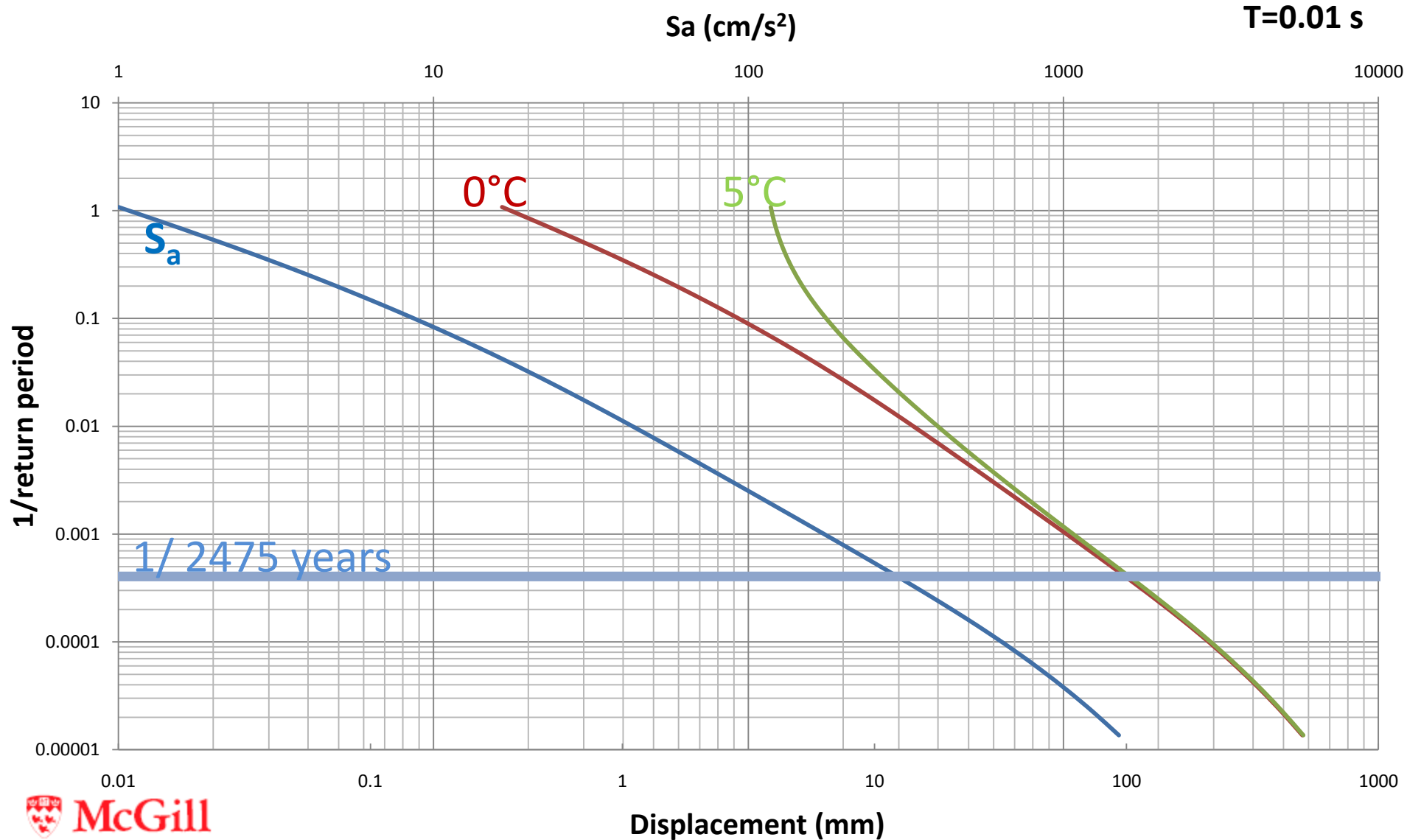
- Methodology:

Use the hazard curves S_a vs $1/RP$ and the combined calculated Δ_{seismic} and Δ_{thermal} curves

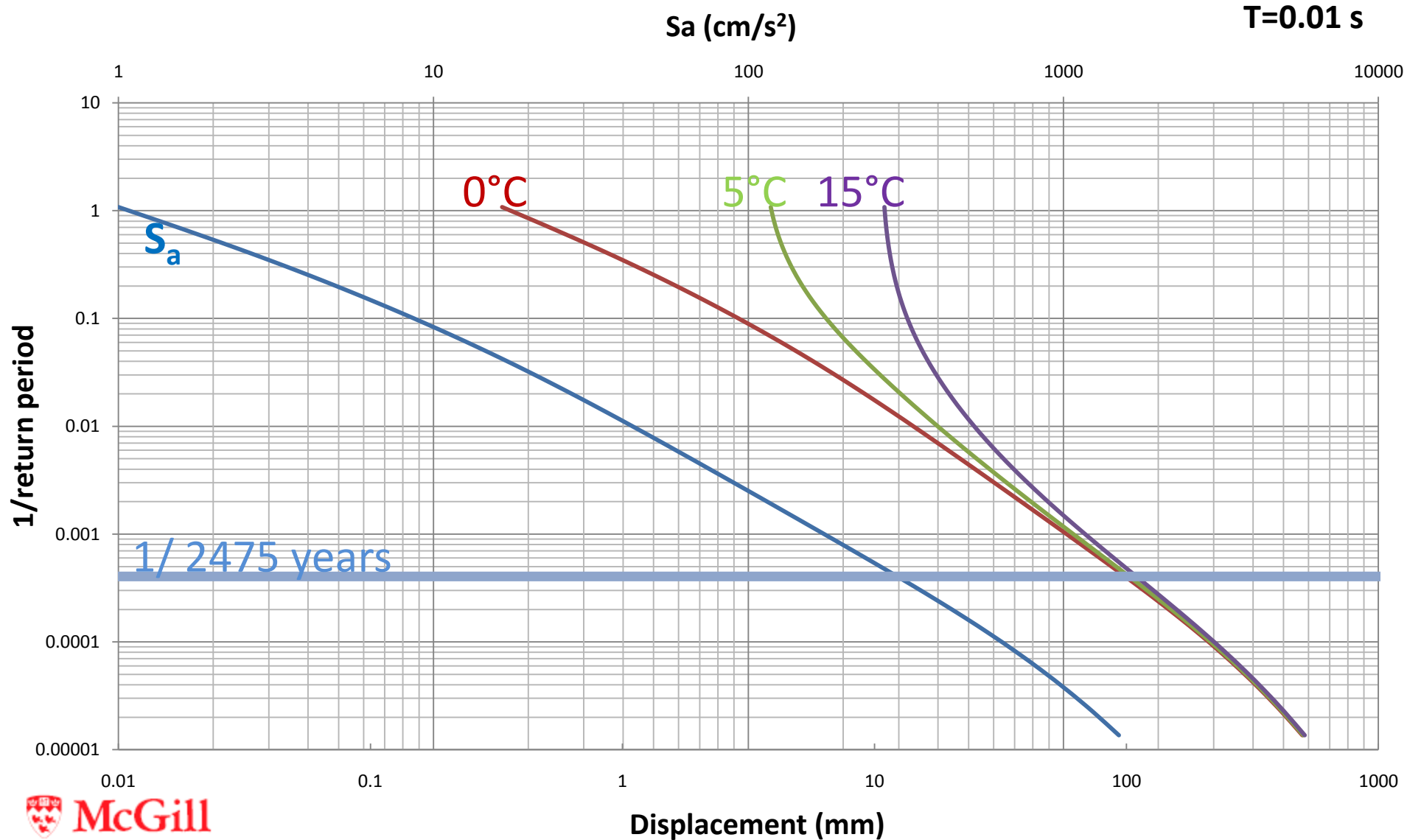
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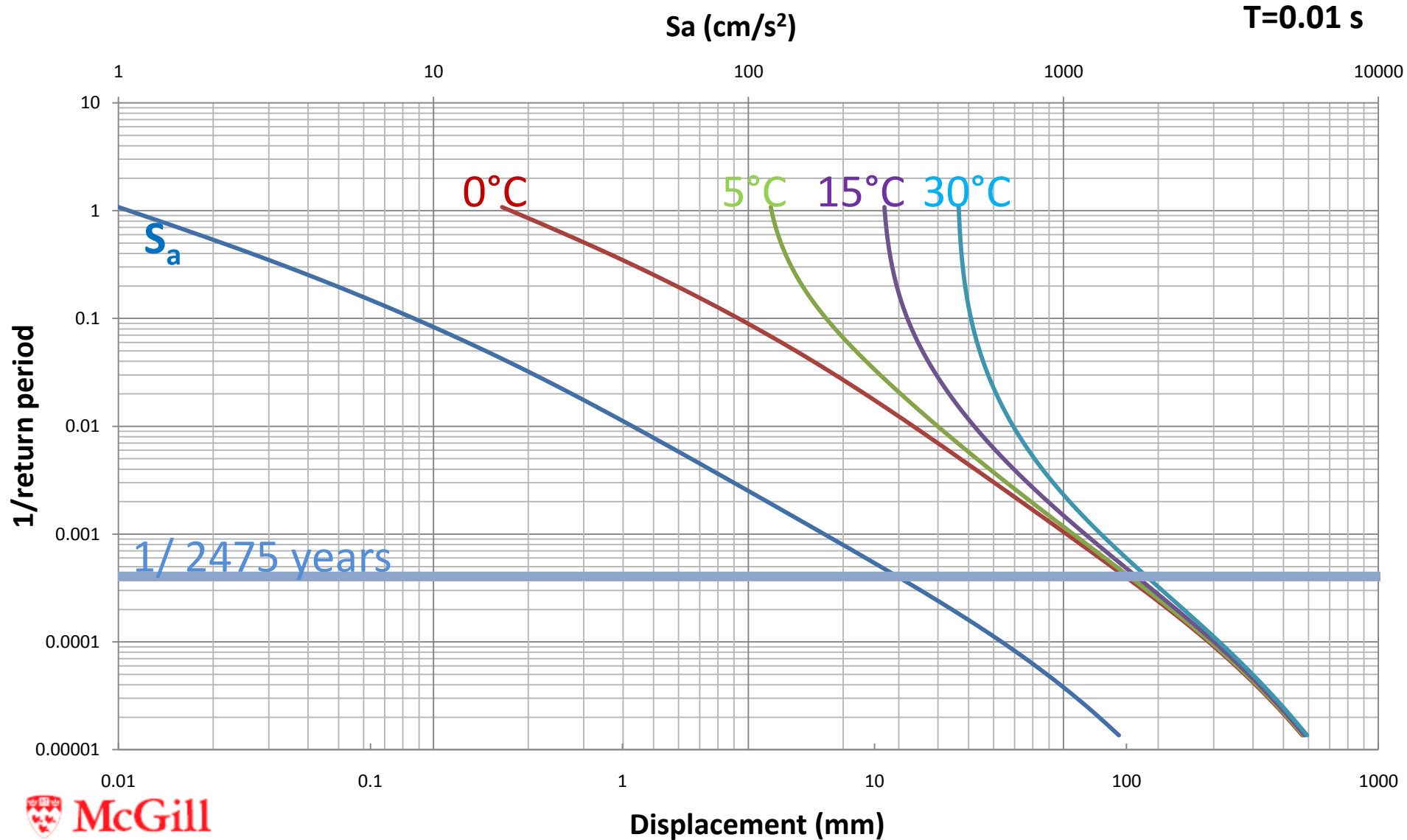
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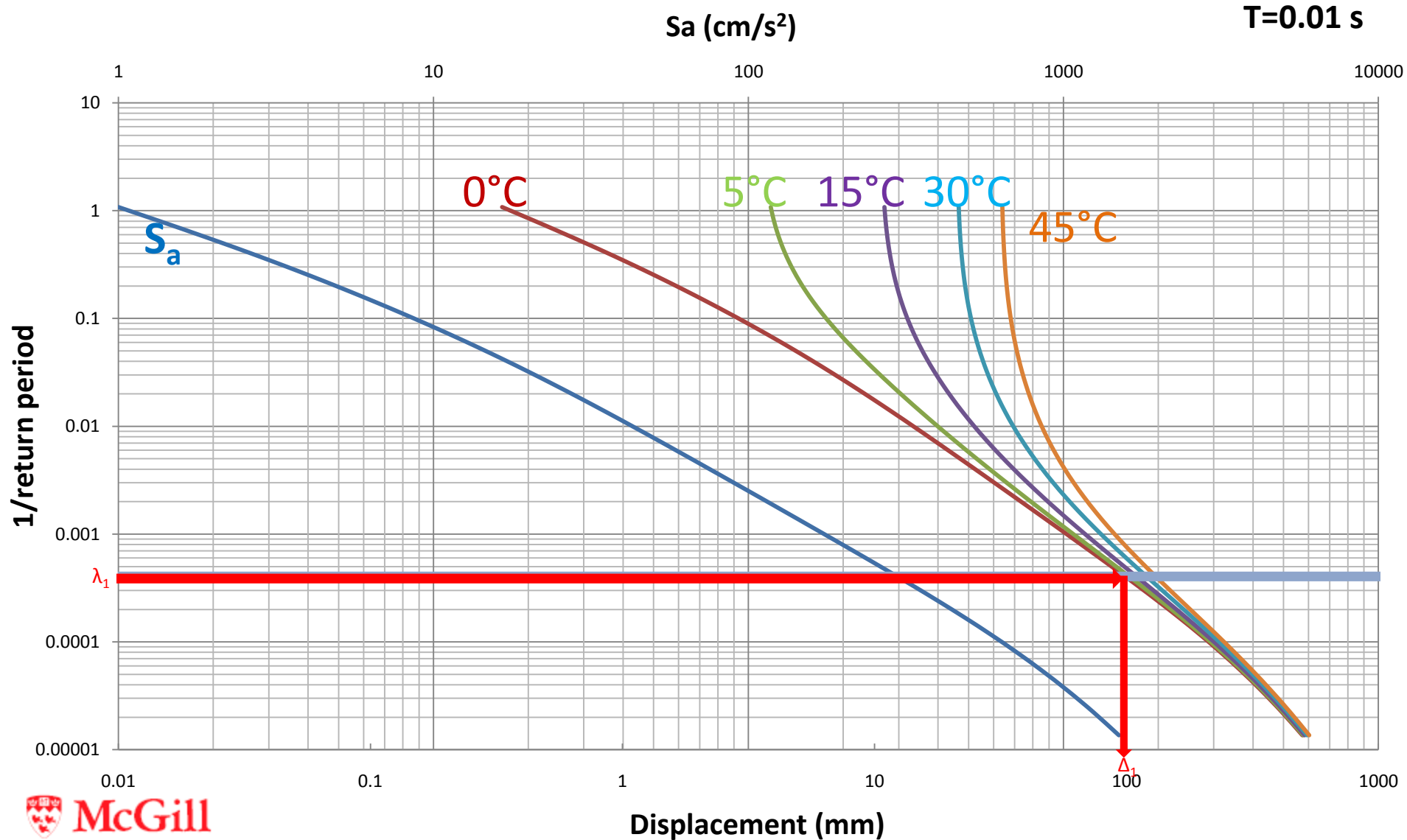


6 – Total Probability Theorem Analysis of the Madrid Bridge (Qc)

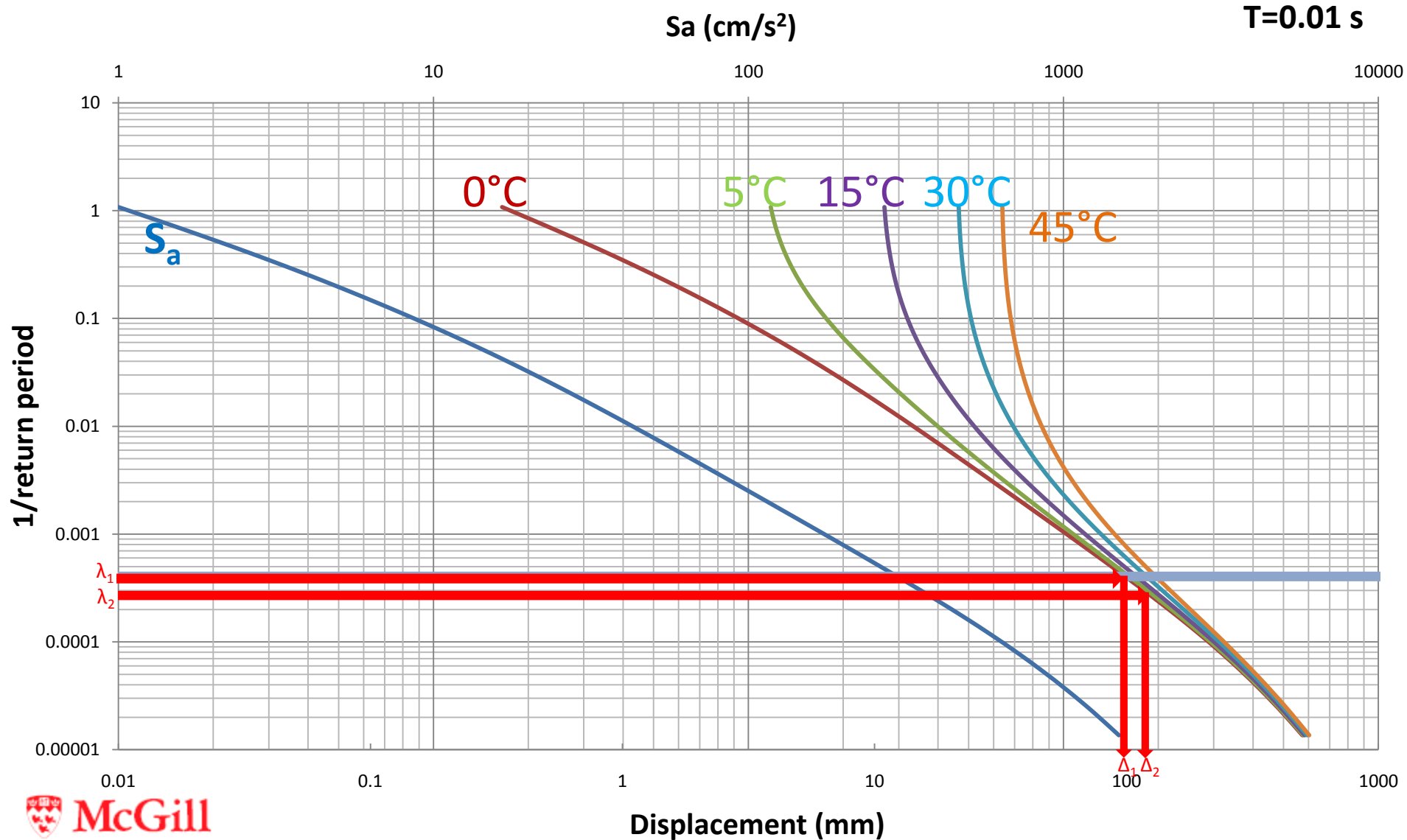
S_a 0°C 5°C 15°C 30°C 45°C

1/ 2475 years

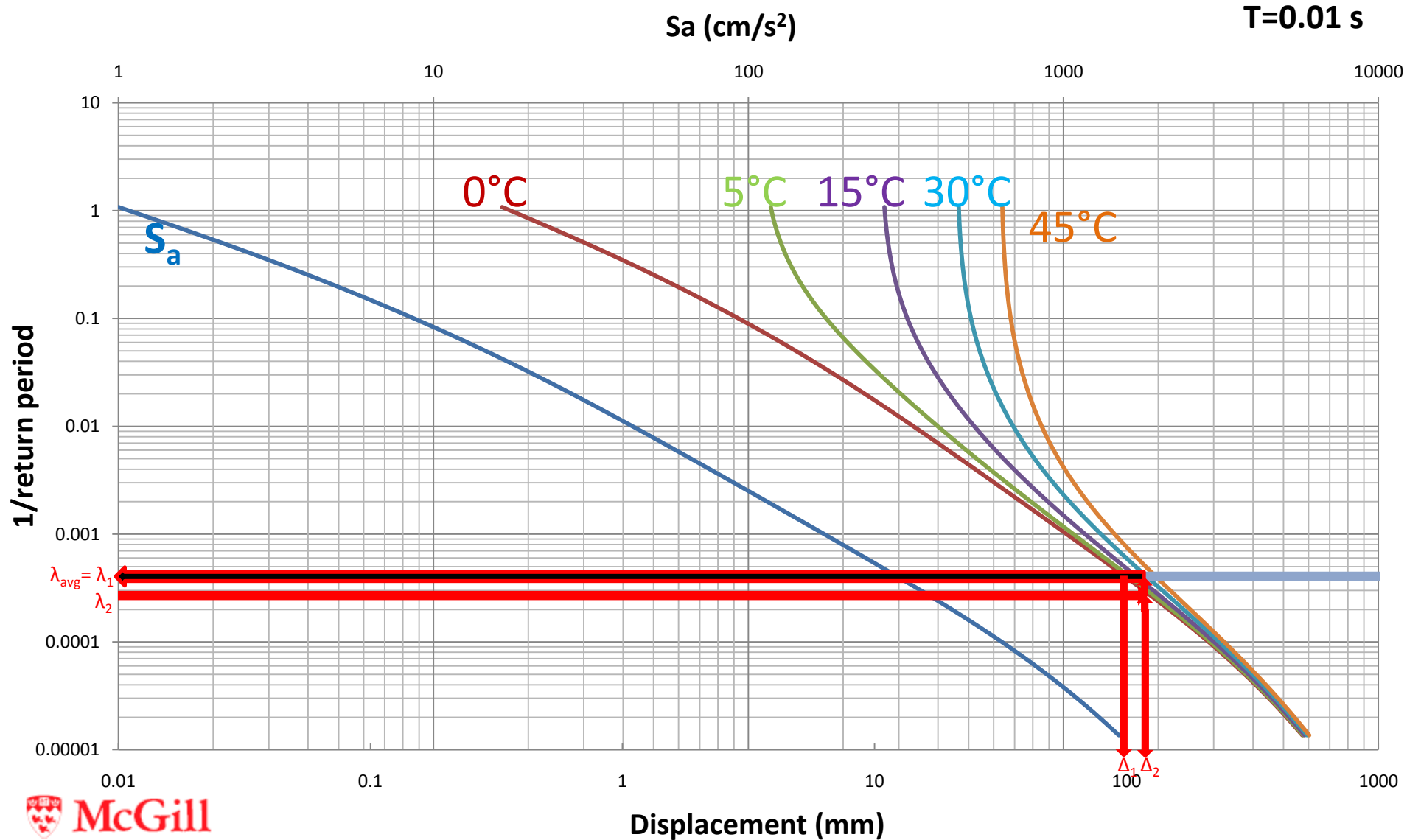
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6 – Total Probability Theorem Analysis of the Madrid Bridge (Qc)

- Results:

$$\Delta_{\text{seismic}} @ \lambda_1=1/2475 = 100.0 \text{ mm}$$

$$\Delta_{\text{seismic}} @ \lambda_2=1/2868 = 108.9 \text{ mm}$$

$$\lambda_{\text{avg}} = \sum(\lambda_{\Delta_{\text{thermal}}} * f_{\Delta_{\text{thermal}}}) = 1/2475 = 0.000404 = \lambda_1$$

$$\Delta_{\text{thermal avg}} / \Delta_{\text{thermal max}} = \% \Delta_{\text{thermal}}$$

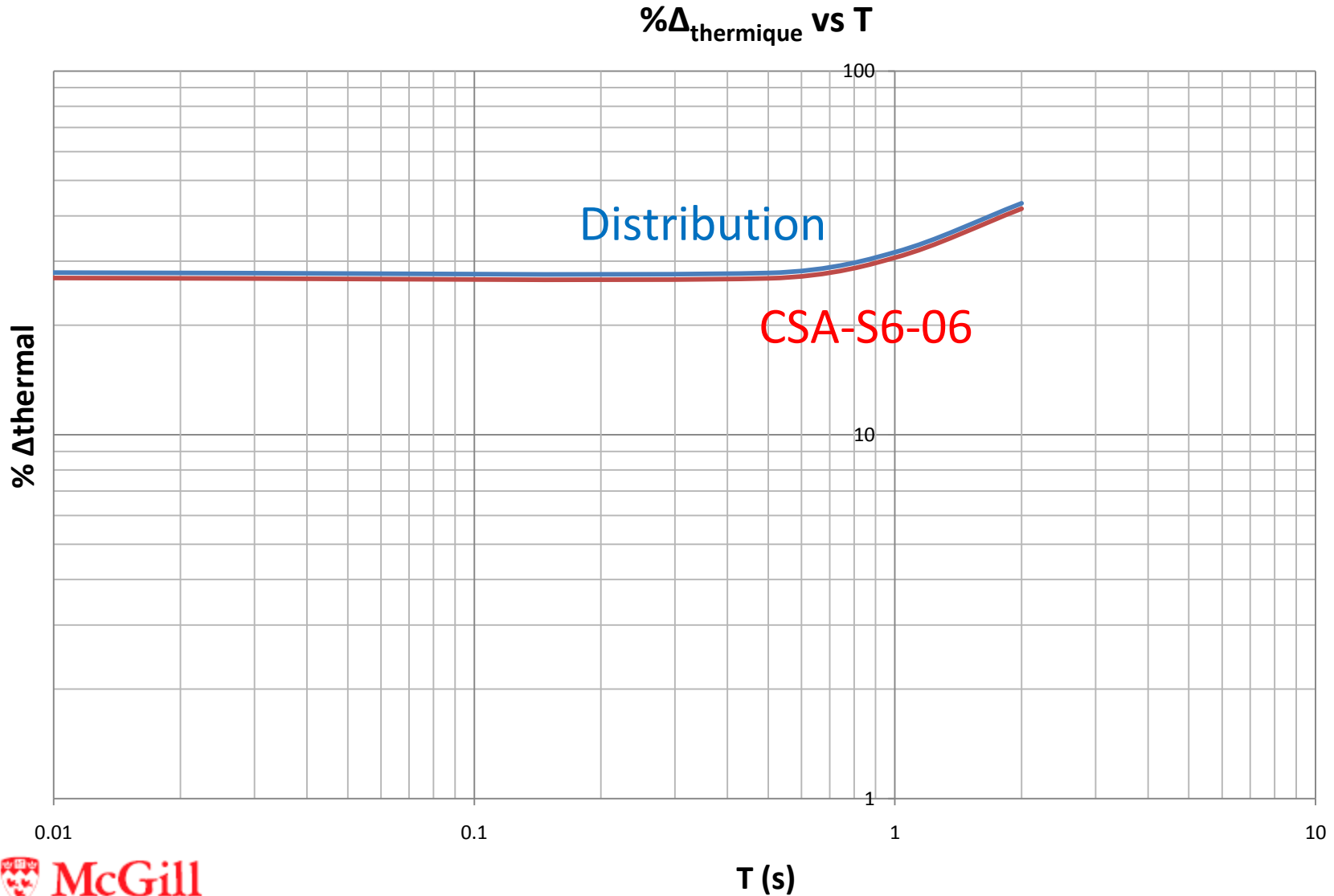
$$\Delta_{\text{thermal avg}} = 8.9 \text{ mm}$$

$$\Delta_{\text{thermal max}} \begin{cases} \rightarrow 31.9 \text{ mm (Distribution)} \\ \rightarrow 33.0 \text{ mm (CSA-S6-06)} \end{cases}$$

$$\text{Distribution: } 8.9/31.9 = 27.9\%$$

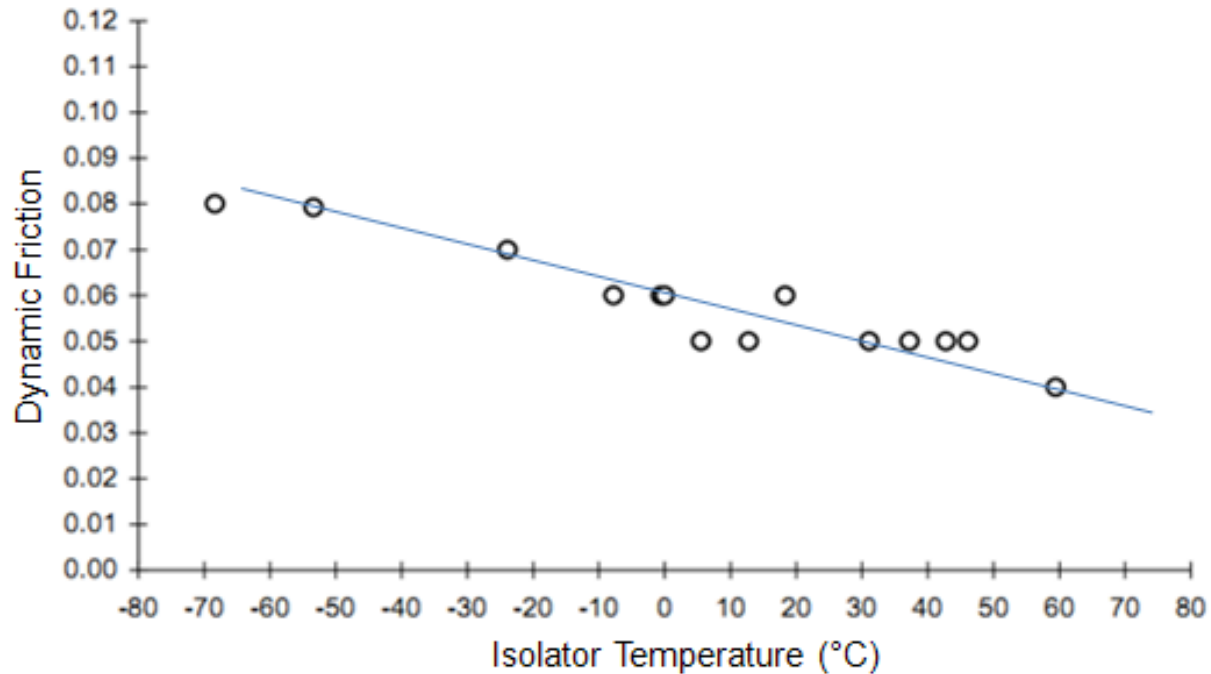
$$\text{CSA-S6-06: } 8.9/33.0 = 27.0\%$$

6 – Total Probability Theorem Analysis of the Madrid Bridge (Qc)



Conclusion

- Upcoming work:
 - différents cities/regions
 - performance vs temperature



THANK YOU
QUESTIONS?